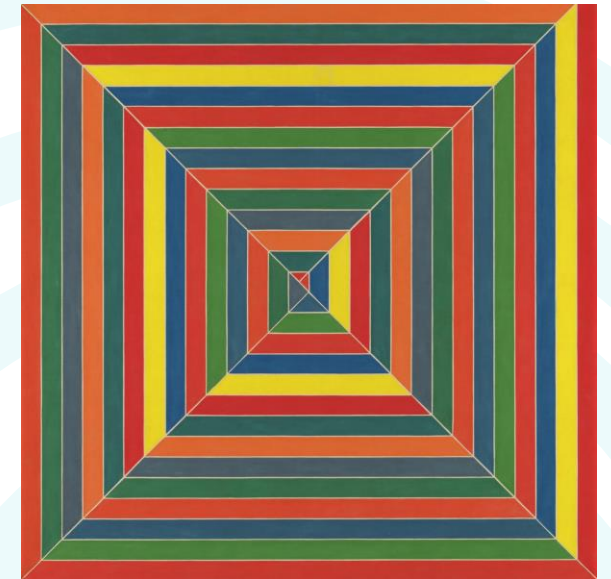




Maths

Welcome to the Primary Maths Parent Workshop





Maths



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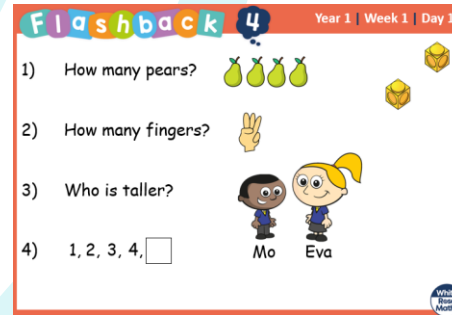
Aims of the workshop

- Introduce the curriculum at BSB Shunyi
- A brief overview of why we approach Maths in a particular way
- Look at the developmental Stages of Maths
- What are the 3 stages we use at BSB Shunyi?
- What is the concrete stage?
- What is the pictorial stage?
- What is the abstract stage?
- How students are challenged further – reasoning and application
- How you can help your child at home
- questions



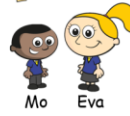
Maths at BSB Shunyi


Whiterose Scheme of work
 Reviewing topics – flashback 4
 Chili Differentiation
 Adding challenge through:

- Discussion
- Problem Solving
- Paired/group work
- NRich/Youcube activities



Flashback 4 Year 1 | Week 1 | Day 1

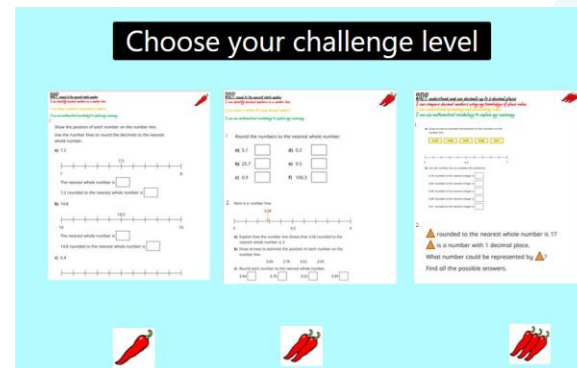
- How many pears? 
- How many fingers? 
- Who is taller? 
Mo Eva
- 1, 2, 3, 4,

Our Brains Think
 about Math Visually

 at Stanford University

Talk it, solve it | Talk it 1a Year 4

| | |
|---|---|
| I am less than 90 | My digits add up to an odd number |
| I am even | I am more than 70 |
| My tens digit is odd | If you rounded me to the nearest ten you would get 70 |
| My tens digit is greater than my ones digit | Count up or down in fours from 60 and you get to me |

Choose your challenge level



Three challenge levels are shown with difficulty icons (1 chili, 2 chilis, 3 chilis):

- Level 1 (1 chili):** Round the number to the nearest whole number. 48.57 rounds to 49 .
- Level 2 (2 chilis):** Round the number to the nearest whole number. 48.57 rounds to 49 .
- Level 3 (3 chilis):** Round the number to the nearest whole number. 48.57 rounds to 49 .

Not good at Maths

Students rarely cry about other subjects – they have a belief that Maths is about memorisation and speed.

However, in English, we learn by using words in different situations – why should Maths be any different.

For example:
How can you make 8?

Let's play a game with dice



The difference between number fluency and number sense

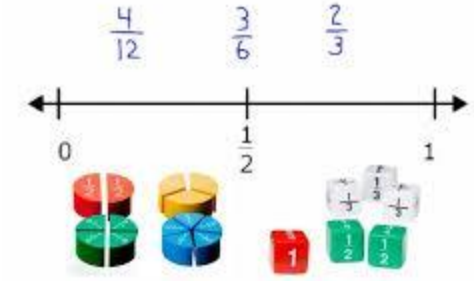
Number Fluency

Quick recall of memorised facts.

What is $7 \times 7 =$

$21 - 16 =$ counting backwards

Building fraction
number sense



Number sense

Being able to use numbers flexibly in a wide variety of different ways.

How can you make 49?

$21 - 16 = 20 - 15 = 5$

Developmental Stages and Neurological Pathways

When working on a mathematical problem, at least 5 different pathways in the brain are involved – including 2 that are visual.

Scientific research has proven that the best times for brain growth and change are when people are working on challenging content, making mistakes, correcting them, moving on, making more mistakes and always working in areas of high challenge.

When students can make connections between these brain regions, seeing, for example, a mathematical idea in numbers and in pictures, more productive and powerful brain connections develop.

Everyone Can Learn Maths To High Levels!

There is no such thing as a maths person! This is how we grow maths brains. When we learn, one of three things happen:

(1) We grow a new brain pathway:



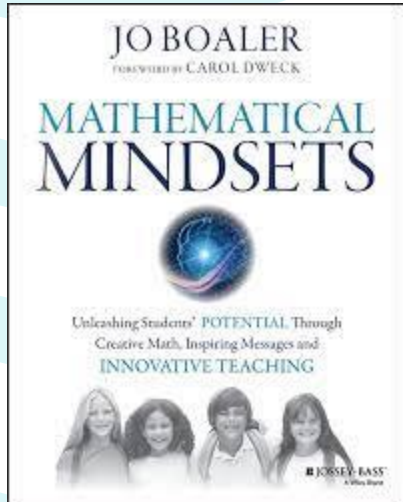
(2) A brain pathway becomes stronger:



(3) Different brain pathways connect:



youcubed®



When people use gesture, drawing, visuals, models, movements, building, there are more opportunities for the brain to make important connections that are not made when they only encounter numbers in symbolic form.

It is important to remember that we are all very different and this can mean that children will reach different developmental stages at different times.

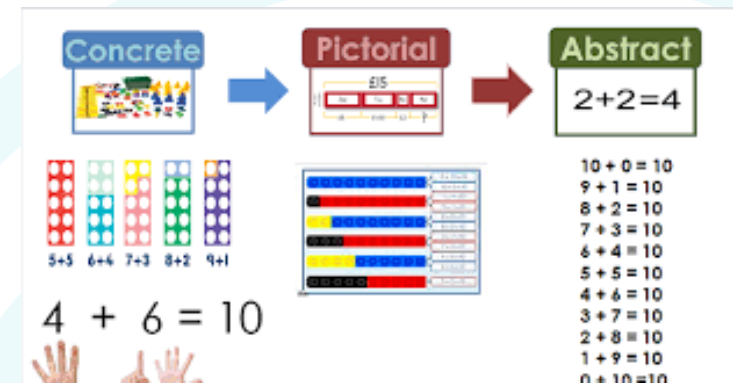
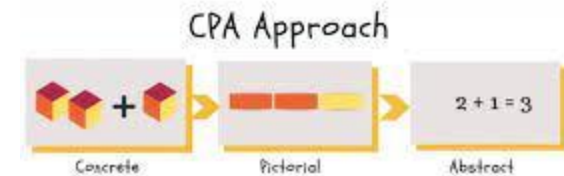
A student who achieves a certain knowledge through free investigation and spontaneous effort will later be able to return it. An acquired methodology that serves him/her for the rest of his/her life.
Piaget

The 3 Stages of Development

Within each topic that we teach in Maths, we ensure that the 3 stages for each area are covered.

- Concrete (hands on)
- Pictorial (Drawing)
- Abstract (Formal methods)

Using this process, there is a build-up to create the most cognitive links.



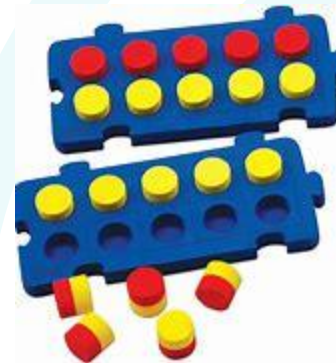
As part of the CPA approach, new concepts are introduced through the use of physical objects or practical equipment. These can be physically handled, enabling children to explore different mathematical concepts. These are sometimes referred to as maths manipulatives and can include ordinary household items such as straws or dice, or specific mathematical resources such as dienes or numicon.



Concrete-The 'doing' stage

Concrete resources can be used in a great variety of ways at every level. All children, regardless of ability, benefit from the use of practical resources in ensuring understanding goes beyond the learning of a procedure.

Practical resources promote reasoning and discussion, enabling children to articulate and explain a concept. Teachers are also able to observe the children in order to gain a greater understanding of where misconceptions lie and to establish the depth of their understanding.

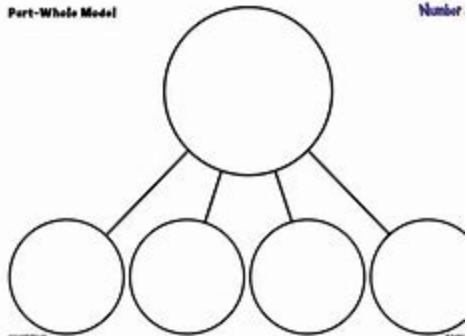


Pictorial- The 'seeing' stage

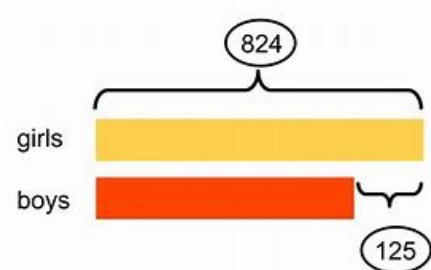
In maths, teachers often refer to pictorial representations. As the name suggests, this means that the **children are looking at a picture (or visual representation) to help them solve the calculation**. This could be a drawing of objects to be counted, but could also be a bar model, a part-whole diagram or base ten drawings.








Part-Whole Model



Number

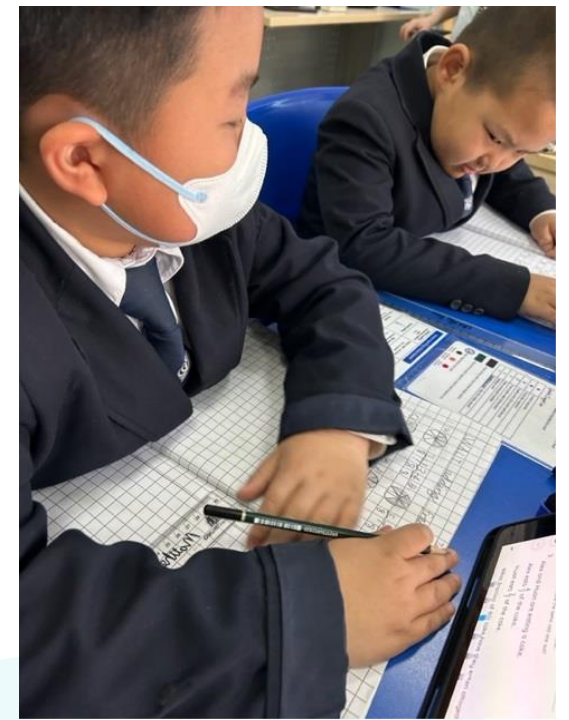


| | |
|--------------|---|
| Oranges |  |
| Apples |  |
| Pears |  |
| Strawberries |  |
| Pomegranates |  |

Abstract- The 'symbolic' stage

Once children have a secure understanding of the concept through the use of concrete resources and visual images, they are then able to move on to the abstract stage. Here, children are using abstract symbols to model problems – usually numerals. To be able to access this stage effectively, children need access to the previous two stages alongside it.

For the most effective learning to take place, children need to constantly go back and forth between each of the stages. This ensures concepts are reinforced and understood.



Compare and order fractions whose denominators are all multiples of the same number

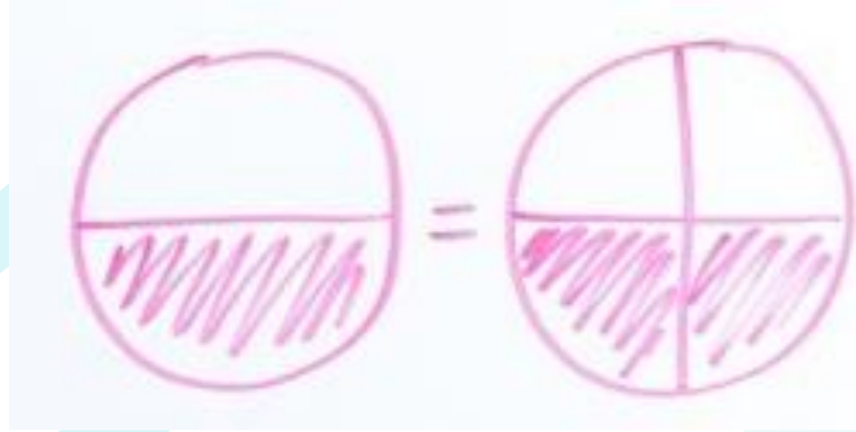
- Tom ate $\frac{2}{5}$ of a cake and Charlie ate $\frac{3}{10}$ of the cake. Who ate the most? Explain your answer.
Tom ate $\frac{4}{10}$, Charlie ate $\frac{3}{10}$ so Tom ate more.
- Lola eats $\frac{3}{4}$ of her packed lunch. Bilal eats $\frac{5}{8}$ of his lunch. Who has eaten the larger fraction of their lunch?
Lola ate $\frac{6}{8}$, Bilal ate $\frac{5}{8}$ so Lola ate more.
- Ayesha uses $\frac{7}{10}$ of the felt tips for her drawing. Sadia uses $\frac{6}{10}$ of the felt tips. Who uses the least felt tips for their drawing?
Ayesha ate $\frac{7}{10}$, Sadia uses $\frac{6}{10}$ so Sadia uses less.
- Which fraction is bigger: $\frac{4}{9}$ or $\frac{3}{5}$? Explain your answer.
 $\frac{4}{9} = \frac{8}{18}$, $\frac{3}{5} = \frac{12}{20}$
- Tom, Charlie and Bilal have a pizza each. Tom eats $\frac{1}{3}$, Charlie eats $\frac{2}{12}$ and Bilal has $\frac{1}{4}$ of his pizza. Who eats the most pizza and who eats the least?
Tom: $\frac{4}{12}$, Charlie: $\frac{2}{12}$, Charlie eats $\frac{2}{12}$, Tom eats $\frac{4}{12}$
Bilal: $\frac{3}{12}$
- Put these fractions in order of size, from largest to smallest.
 $\frac{3}{4}$, $\frac{10}{12}$, $\frac{8}{12}$, $\frac{2}{3}$
- Ayesha says, $\frac{7}{8}$ is smaller than $\frac{14}{16}$. Is she correct? Explain your answer.
No because $\frac{7}{8} = \frac{14}{16}$



Concrete



Pictorial



Abstract

$$\frac{1}{2} = \frac{2}{4}$$



Maths

Maths

Reasoning/Challenge

It is essential that children are challenged to further develop neurological pathways by applying what they already know to new challenges.



33 penguins



| | | | | | | | |
|-----------------------------|------------------------------|-------------------|-----------------------------|-------------------------------|-----------------------------|--------------------|-----------------------------|
| $\frac{3}{8}$ | $\frac{24}{64}$ | $\frac{1}{5}$ | $\frac{3}{15}$ | $\frac{3}{13}$ | $\frac{9}{39}$ | $\frac{3}{6}$ | $\frac{1}{2}$ |
| $\frac{1}{4} + \frac{1}{4}$ | $\frac{7}{8} - \frac{1}{2}$ | $\frac{300}{400}$ | $\frac{1}{24}$ | $\frac{1}{48} + \frac{1}{48}$ | $\frac{2}{3} - \frac{1}{6}$ | $\frac{1}{2}$ | $\frac{1}{2}$ |
| $\frac{2}{4}$ | $\frac{1}{3}$ | $\frac{2}{6}$ | $\frac{6}{8}$ | $\frac{2}{5}$ | $\frac{4}{10}$ | $\frac{9}{10}$ | $\frac{3+6}{10}$ |
| $\frac{2}{3}$ | $\frac{11}{15}$ | $\frac{16}{40}$ | $\frac{3}{8}$ | $\frac{9}{10}$ | $\frac{1}{8}$ | $\frac{3}{8}$ | $\frac{3}{8} - \frac{2}{8}$ |
| $\frac{1}{3} + \frac{1}{3}$ | $\frac{4}{6}$ | $\frac{8}{12}$ | $\frac{1}{3} + \frac{2}{5}$ | $\frac{30}{20}$ | $\frac{3}{2}$ | $\frac{1}{11}$ | $3 \times \frac{1}{8}$ |
| $\frac{8}{32}$ | $\frac{3}{4}$ | $\frac{3}{4}$ | $\frac{4}{10}$ | $\frac{1}{11}$ | $\frac{2}{22}$ | $\frac{2}{22}$ | $\frac{8}{88}$ |
| $\frac{3}{40}$ | $\frac{3}{40}$ | $\frac{3}{40}$ | $\frac{3}{40}$ | $\frac{3}{40}$ | $\frac{3}{40}$ | $\frac{3}{40}$ | $\frac{3}{40}$ |
| $\frac{1}{6}$ | $\frac{2}{12}$ | $\frac{12}{26}$ | $\frac{6}{13}$ | 1 | $\frac{6}{6}$ | $\frac{4}{30}$ | $\frac{8}{60}$ |
| $\frac{2}{11}$ | $\frac{3}{4} - \frac{1}{12}$ | $\frac{5}{11}$ | $\frac{1}{2} + \frac{2}{8}$ | $\frac{100}{1000}$ | $\frac{100}{1000}$ | $\frac{100}{1000}$ | $\frac{100}{1000}$ |
| $\frac{21}{24}$ | $\frac{7}{8}$ | $\frac{5}{4}$ | $\frac{3+2}{4}$ | $\frac{3-2}{4}$ | $\frac{1}{4}$ | $\frac{7}{12}$ | $\frac{14}{24}$ |

ສິລາມ ສົມບູລ

A Maths Starter of The Day

Can you work out what digit each symbol represents from these clues?

| | |
|------------------|---------------------------|
| $๓ \times ๓ = ๙$ | $๔ < ๕ < ๖$ |
| $๓ \times ๐ = ๓$ | $๒ \times ๒ \times ๒ = ๘$ |
| $๓ + ๐ = ๓$ | $๑๐ - ๗ = ๓$ |

Let's have a go

On your tables you have one of these activities.

| | | | | |
|-----|-----|-----|-----|-----|
| 900 | 13 | 66 | 13 | =+5 |
| ٤٣ | ٢ | ٢٤ | 83 | 500 |
| = | 5+8 | 2 | 50 | -5 |
| ٢٥ | ٨٢ | ٩٣ | ٢ | 58 |
| 25 | ٦٥ | ٢ | ٨+٣ | 100 |
| 58 | +3 | 100 | 4٤ | ٢٥ |

3 Block Towers



You need some coloured blocks, three different colours, maybe **red**, **green** and **blue**.

Make a tower using one of each colour.

Here's one with **red** on top, **blue** in the middle and **green** on the bottom.



Now make another tower with a *different* colour on top.

How many different towers can you make?

When you are sure you have found them all, try it with **four colours**.



Maths

How to Help at home

Hands on activities

Books

Question Books

How to help your child
develop Maths skills at home
at home



Maths

Questions



Maths

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